Recitation 4, Part 2: PERT

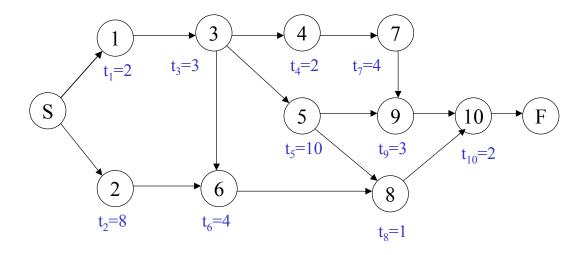
#### Example 1:

## Project Management: Example of Classical Approach

# Tennis Tournament Activities (Fitzsimmons, pp 391–392)

Task Description	Code	Immediate Predecessors
Negotiate for location	1	_
Contact seeded players	2	_
Plan promotion	3	1
Locate officials	4	3
Send invitations	5	3
Sign player contracts	6	2,3
Purchase balls and trophies	7	4
Negotiate catering	8	5,6
Prepare location	9	5,7
Tournament	10	8,9

### **PERT Chart**



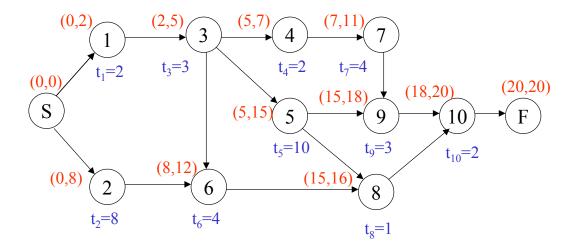
 $\mathbf{PERT} = \mathbf{P}$ rogram  $\mathbf{E}$ valuation and  $\mathbf{R}$ eview  $\mathbf{T}$ echnique.

 $t_i$  – completion times of tasks.

Assume that  $t_i$  are **deterministic**.

How to calculate project completion time?

## Critical Path Method: Forward Pass

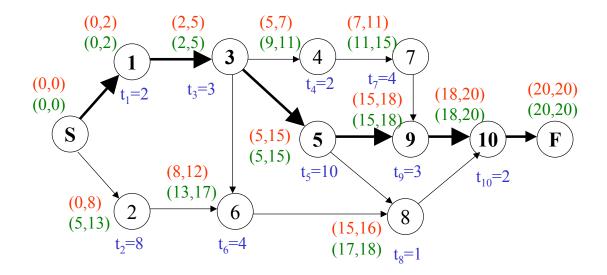


**Initialization:**  $(ES)_i = (EF)_i = 0$  for Start node.

Early Start:  $(ES)_i = \max\{EF \text{ of all predecessors}\}.$ 

Early Finish:  $(EF)_i = (ES)_i + t_i$ .

## Critical Path Method: Backward Pass



**Initialization:**  $(LS)_i = (ES)_i$  for Finish node.

Late Finish:  $(LF)_i = \min\{LS \text{ of all successors}\}.$ 

Late Start:  $(LS)_i = (LF)_i - t_i$ .

Critical Path(s):  $(ES)_i = (LS)_i$  and  $(EF)_i = (LF)_i$ .

Slack:  $(TS)_i = (LS)_i - (ES)_i = (LF)_i - (EF)_i$ .

Start time of task i can be delayed by  $(TS)_i$  without affecting project completion time.