

Pause for a Commercial:

The Technion SEE Center / Laboratory



Technion SEE = Service Enterprise Engineering

SEELab: Hub for data-based research and teaching

- ▶ **History:** I.E. Dean, **B. Golany**, recruited **Hal and Inge Marcus**.
 - ▶ **Technion:** In 2007, w/ **P. Feigin, V. Trofimov**.
 - ▶ **Wharton:** L. Brown, N. Gans, H. Shen (UNC).
 - ▶ **industry**

Technion SEE = Service Enterprise Engineering

SEELab: Hub for data-based research and teaching

- ▶ **History:** I.E. Dean, **B. Golany**, recruited **Hal and Inge Marcus**.
 - ▶ **Technion:** In 2007, w/ **P. Feigin, V. Trofimov**.
 - ▶ **Wharton:** L. Brown, N. Gans, H. Shen (UNC).
 - ▶ **industry** (partial list):
 - ▶ U.S. Bank: **2.5 years, 220M calls, 40M by 1000 agents**.
 - ▶ Israeli Cellular: **2.5 years, 110M calls, 25M calls by 750 agents**.
 - ▶ Israeli Bank: **from January 2010, daily-deposit at a SEESafe**.
 - ▶ Israeli Hospital: **4 years, 1000 beds; 8 ED's - Sinreich's data**.

SEESat: Environment for graphical EDA in real-time

- ▶ **Universal Design, Universal Access, Real-Time Response.**

eg. RFID-Based Data: Mass Casualty Event (MCE)

Drill: Chemical MCE, Rambam Hospital, May 2010



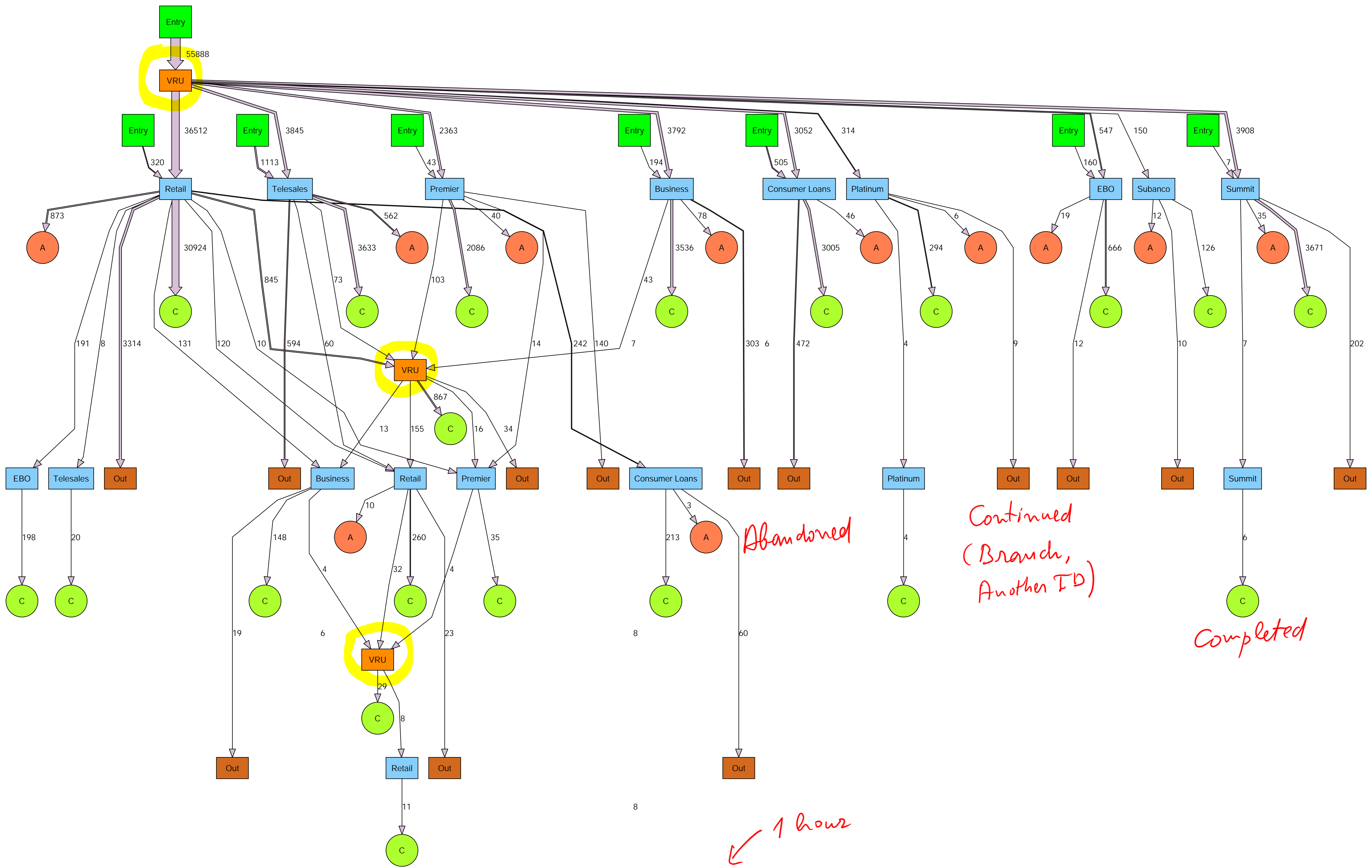
Focus on **severely wounded** casualties (≈ 40 in drill)

Note: 20 observers support real-time control (helps validation)

Data Cleaning: MCE with RFID Support

Data-base				Company report		comment
Asset id	order	Entry date	Exit date	Entry date	Exit date	
4	1	1:14:07 PM		1:14:00 PM		
6	1	12:02:02 PM	12:33:10 PM	12:02:00 PM	12:33:00 PM	
8	1	11:37:15 AM	12:40:17 PM	11:37:00 AM		exit is missing
10	1	12:23:32 PM	12:38:23 PM	12:23:00 PM		
12	1	12:12:47 PM	12:35:33 PM		12:35:00 PM	entry is missing
15	1	1:07:15 PM		1:07:00 PM		
16	1	11:18:19 AM	11:31:04 AM	11:18:00 AM	11:31:00 AM	
17	1	1:03:31 PM		1:03:00 PM		
18	1	1:07:54 PM		1:07:00 PM		
19	1	12:01:58 PM		12:01:00 PM		
20	1	11:37:21 AM	12:57:02 PM	11:37:00 AM	12:57:00 PM	
21	1	12:01:16 PM	12:37:16 PM	12:01:00 PM		
22	1	12:04:31 PM	12:20:40 PM			first customer is missing
22	2	12:27:37 PM		12:27:00 PM		
25	1	12:27:35 PM	1:07:28 PM	12:27:00 PM	1:07:00 PM	
27	1	12:06:53 PM		12:06:00 PM		
28	1	11:21:34 AM	11:41:06 AM	11:41:00 AM	11:53:00 AM	exit time instead of entry time
29	1	12:21:06 PM	12:54:29 PM	12:21:00 PM	12:54:00 PM	
31	1	11:40:54 AM	12:30:16 PM	11:40:00 AM	12:30:00 PM	
31	2	12:37:57 PM	12:54:51 PM	12:37:00 PM	12:54:00 PM	
32	1	11:27:11 AM	12:15:17 PM	11:27:00 AM	12:15:00 PM	
33	1	12:05:50 PM	12:13:12 PM	12:05:00 PM	12:15:00 PM	wrong exit time
35	1	11:31:48 AM	11:40:50 AM	11:31:00 AM	11:40:00 AM	
36	1	12:06:23 PM	12:29:30 PM	12:06:00 PM	12:29:00 PM	
37	1	11:31:50 AM	11:48:18 AM	11:31:00 AM	11:48:00 AM	
37	2	12:59:21 PM		12:59:00 PM		

Imagine **“Cleaning” 60,000+ customers per day** (call centers) !



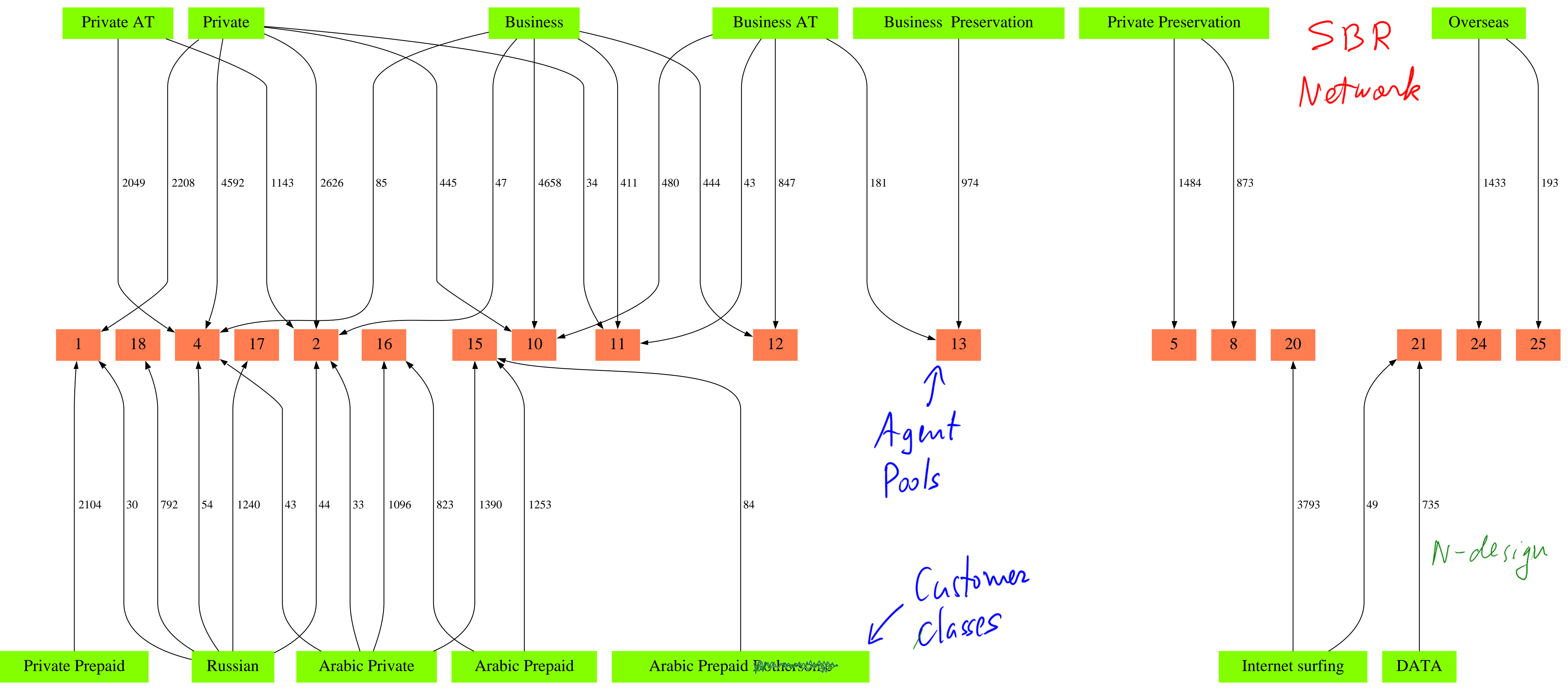
Abandoned

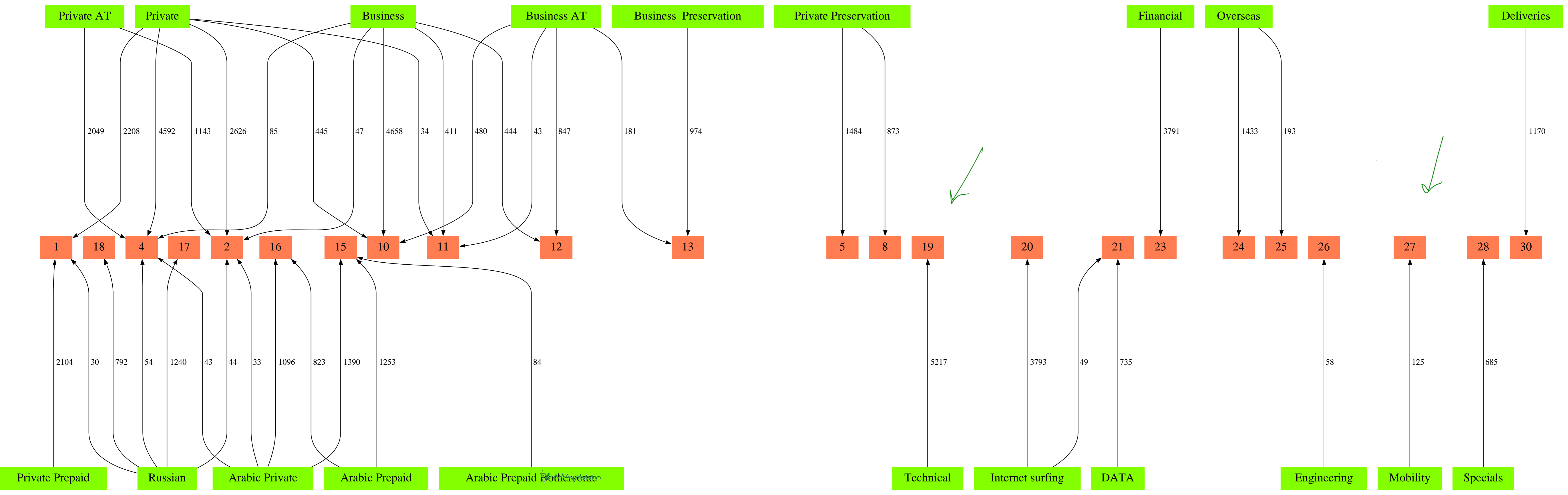
Continued
(Branch,
Another FD)

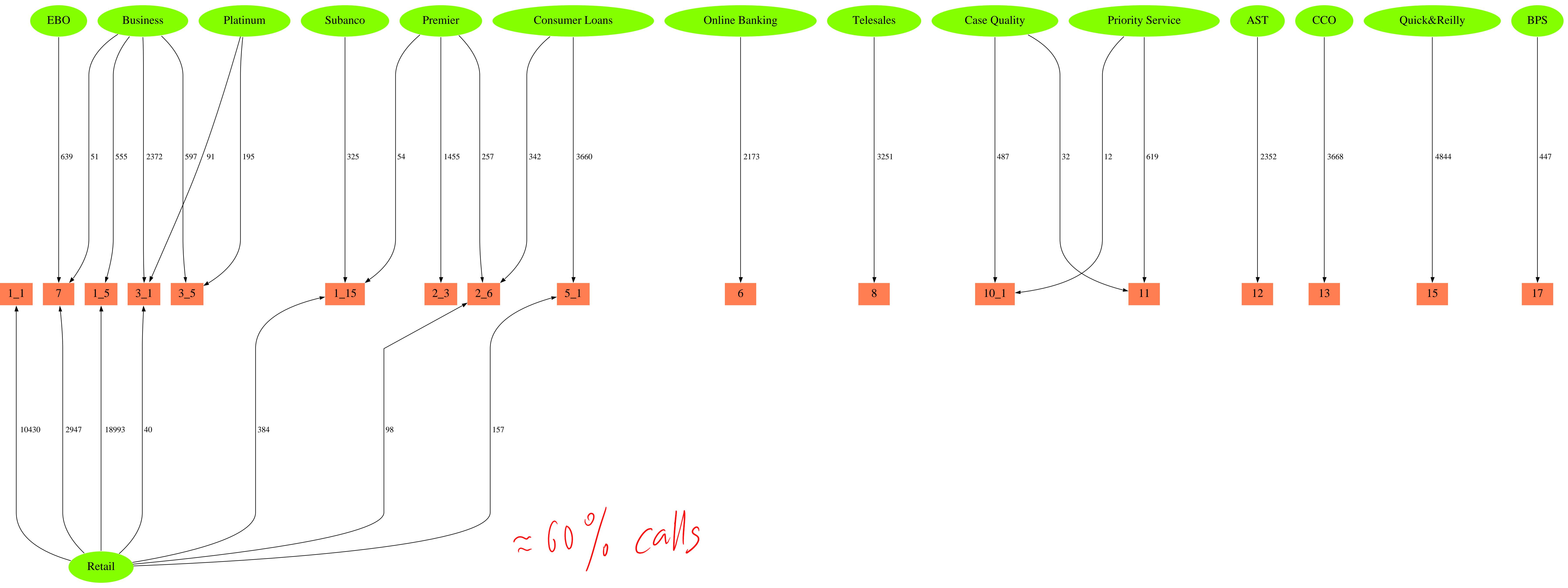
Completed

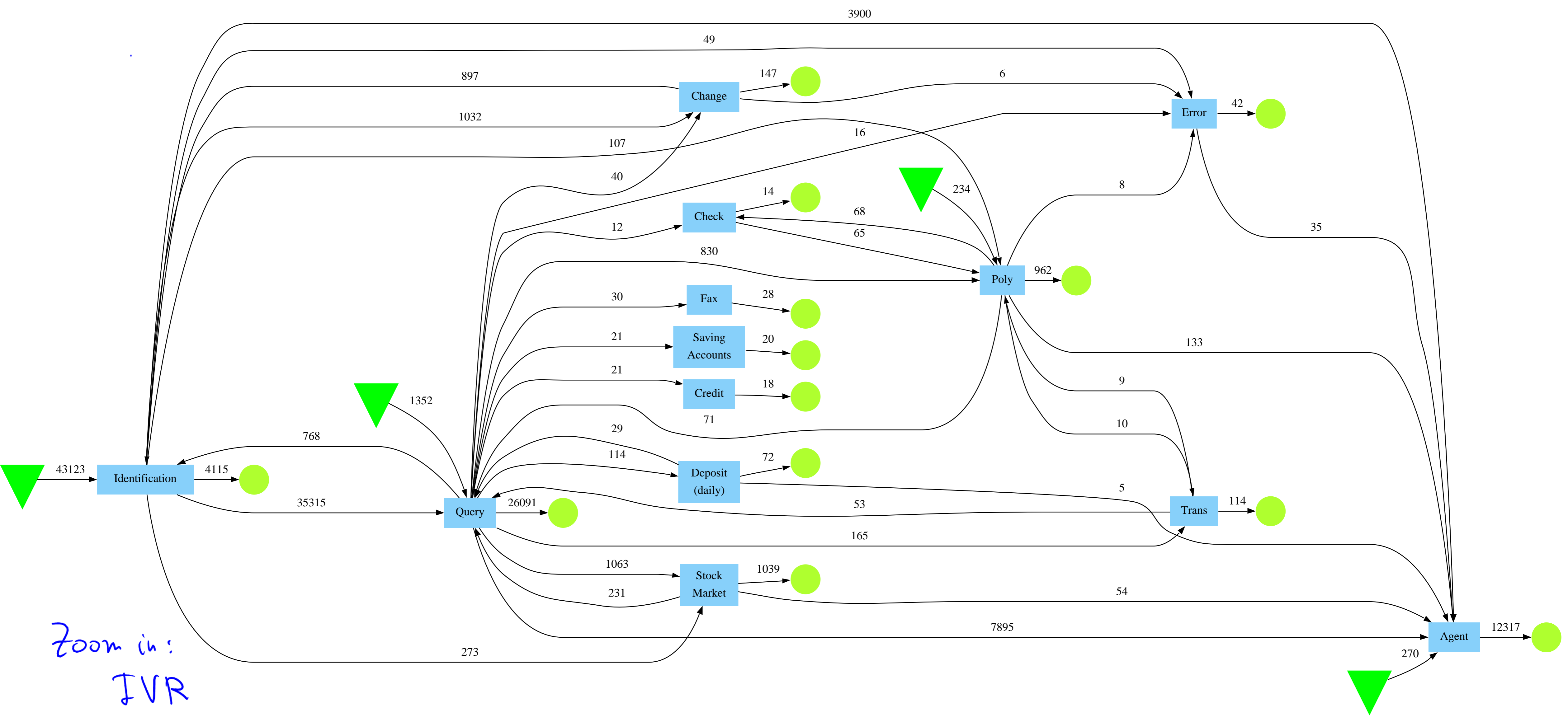
1 hour

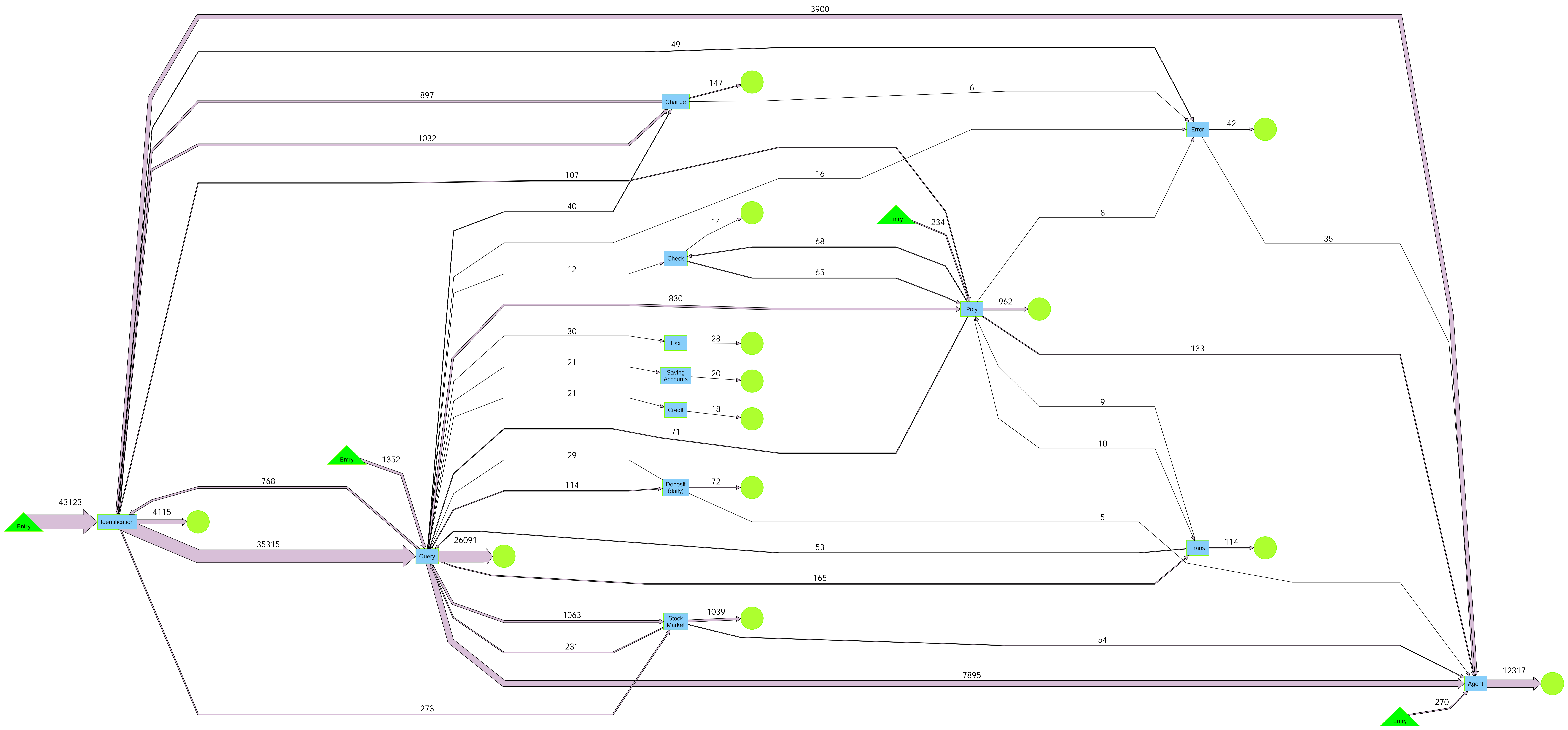
8 AM - 9 AM

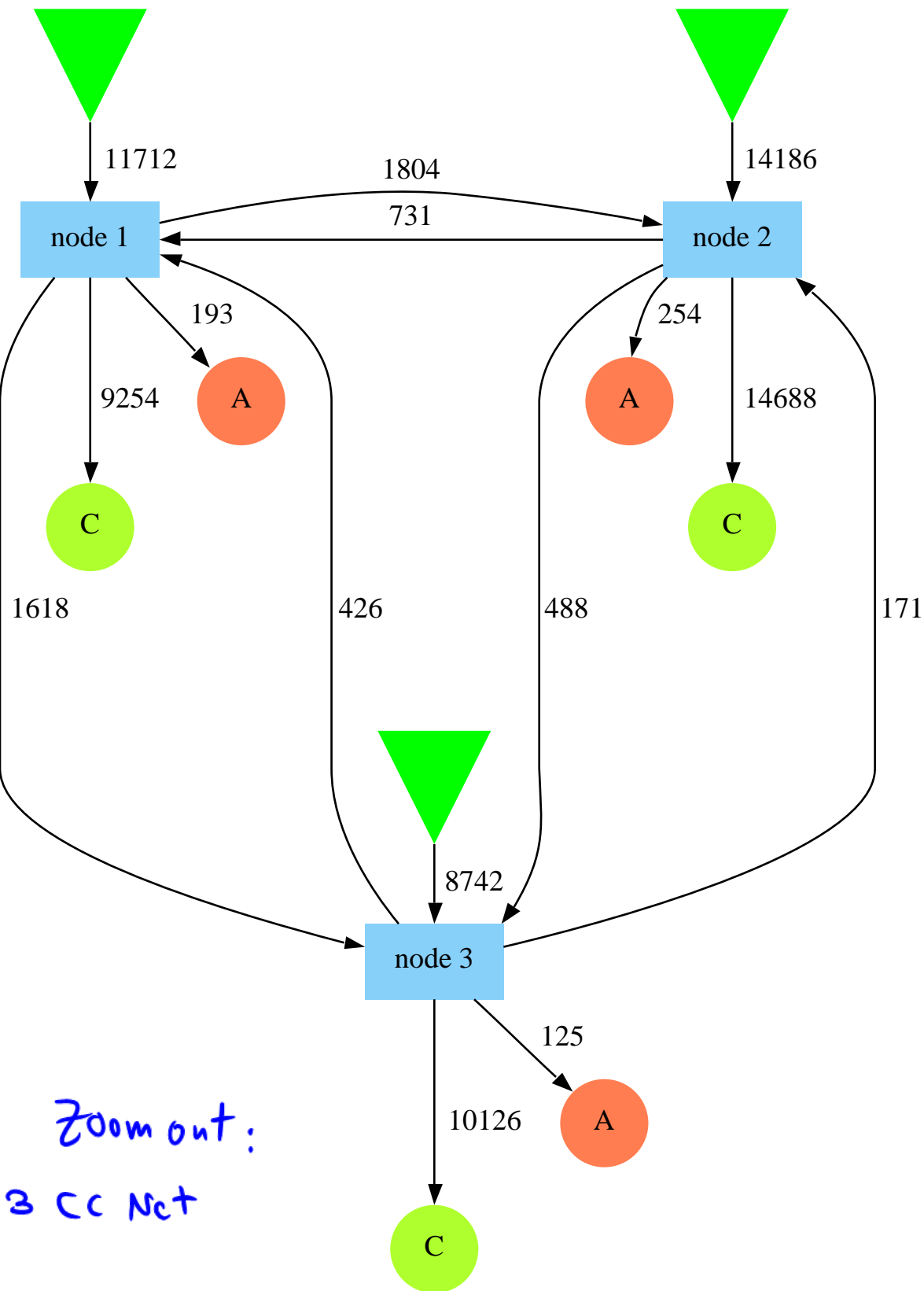


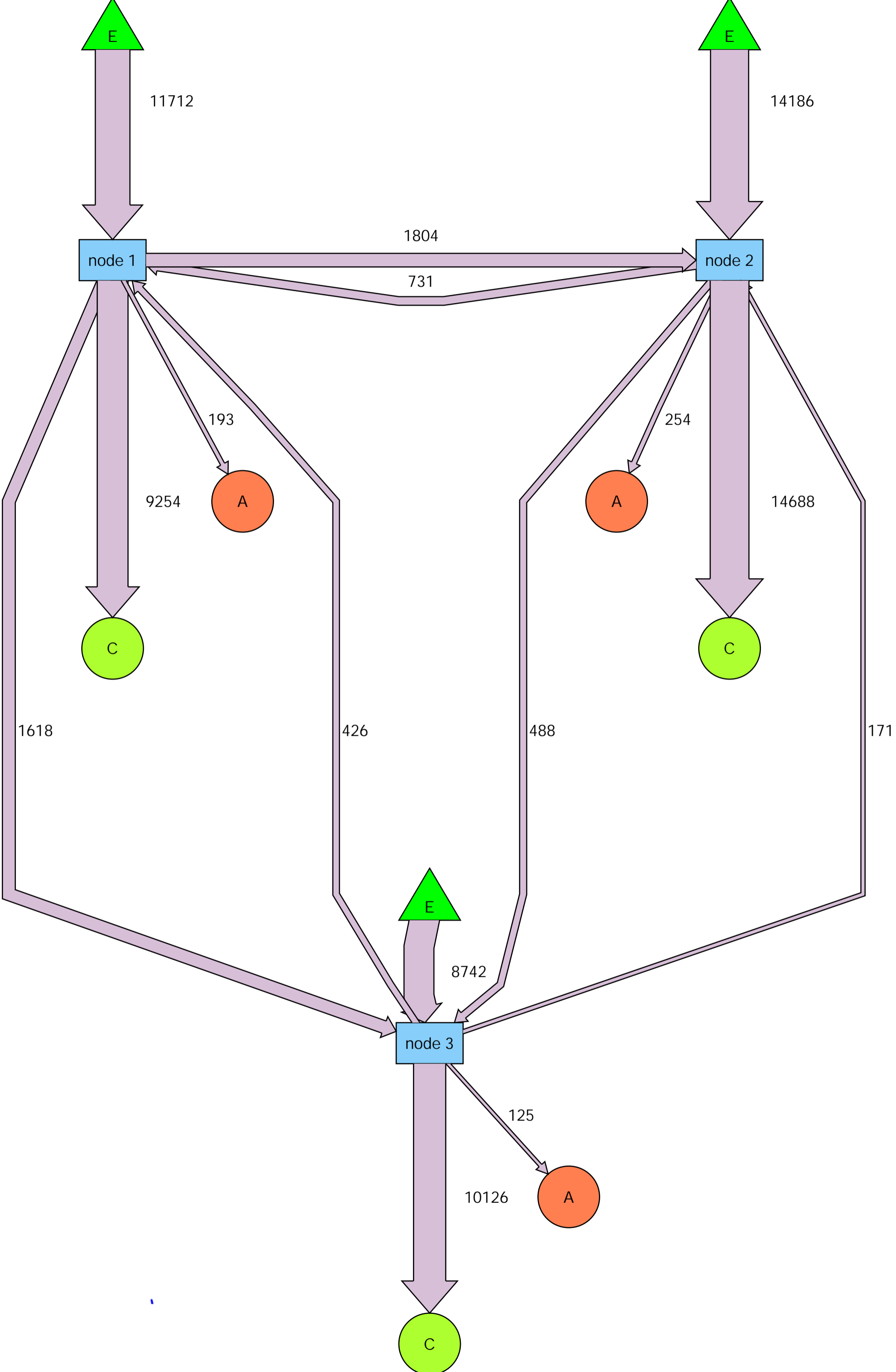


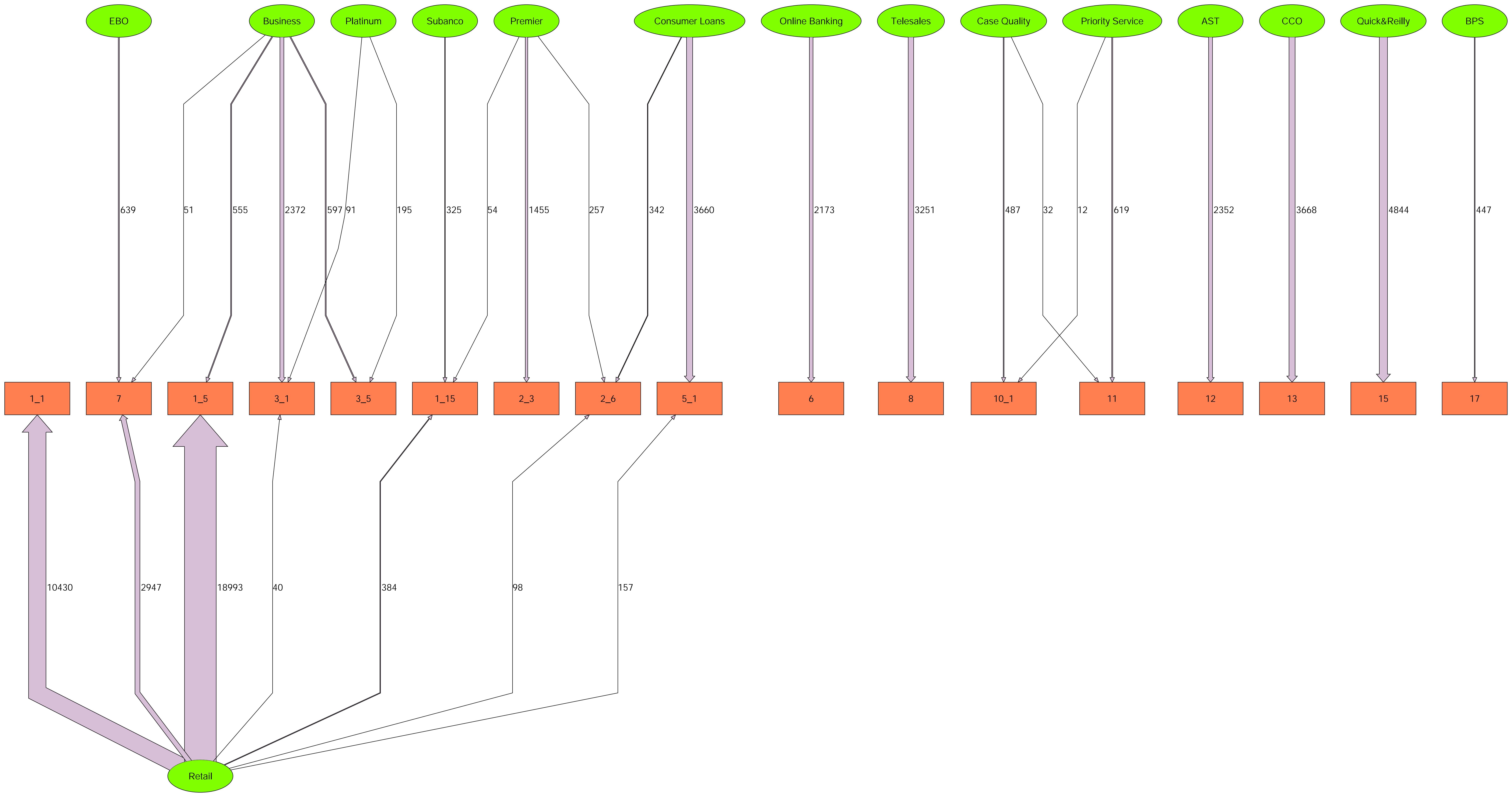


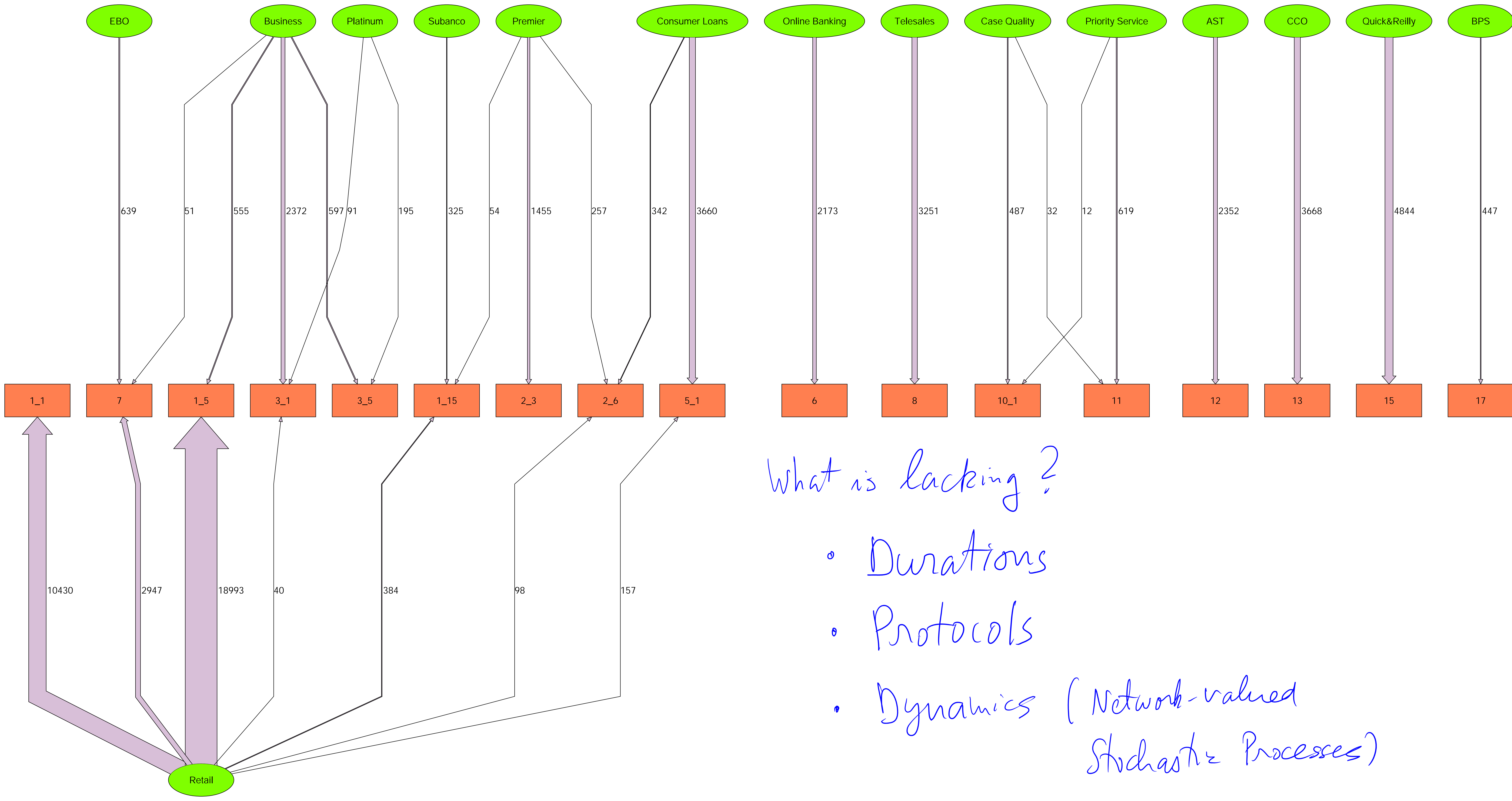


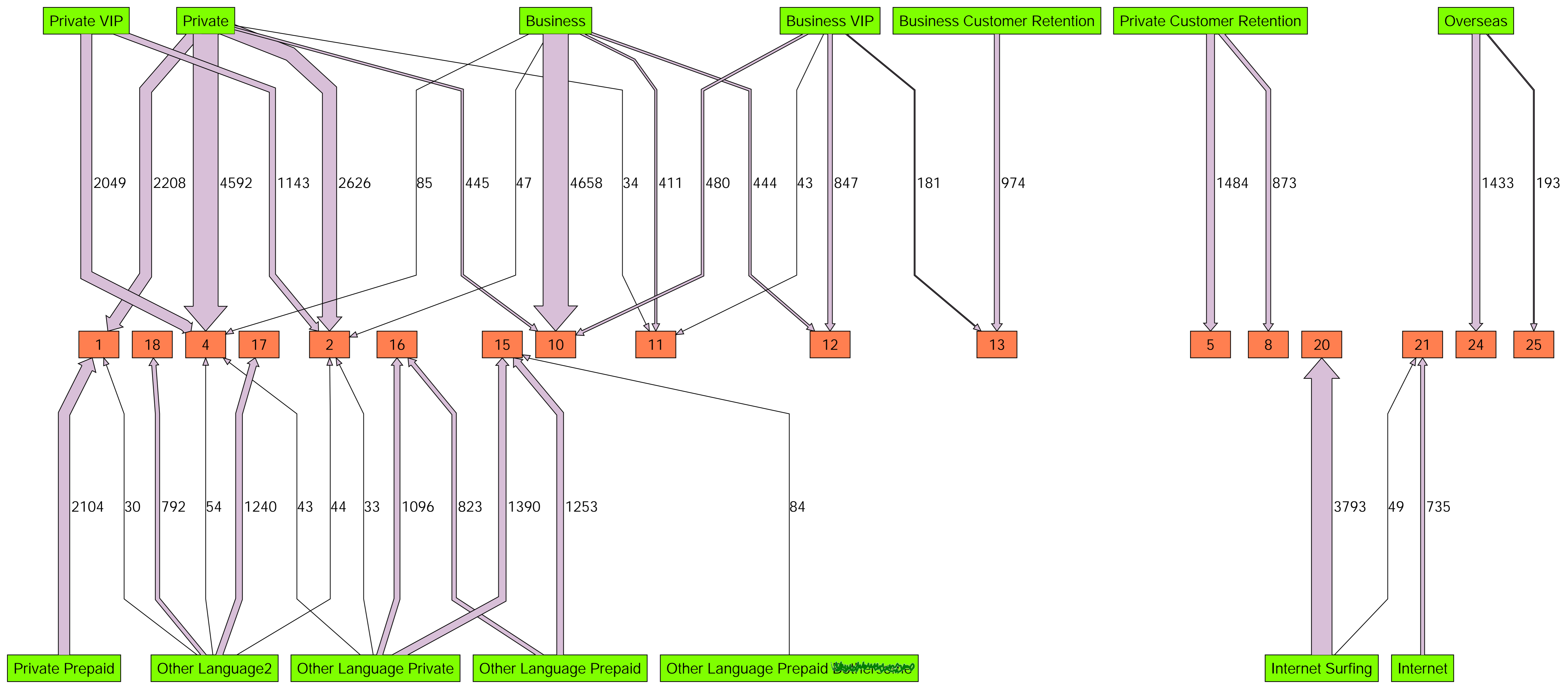


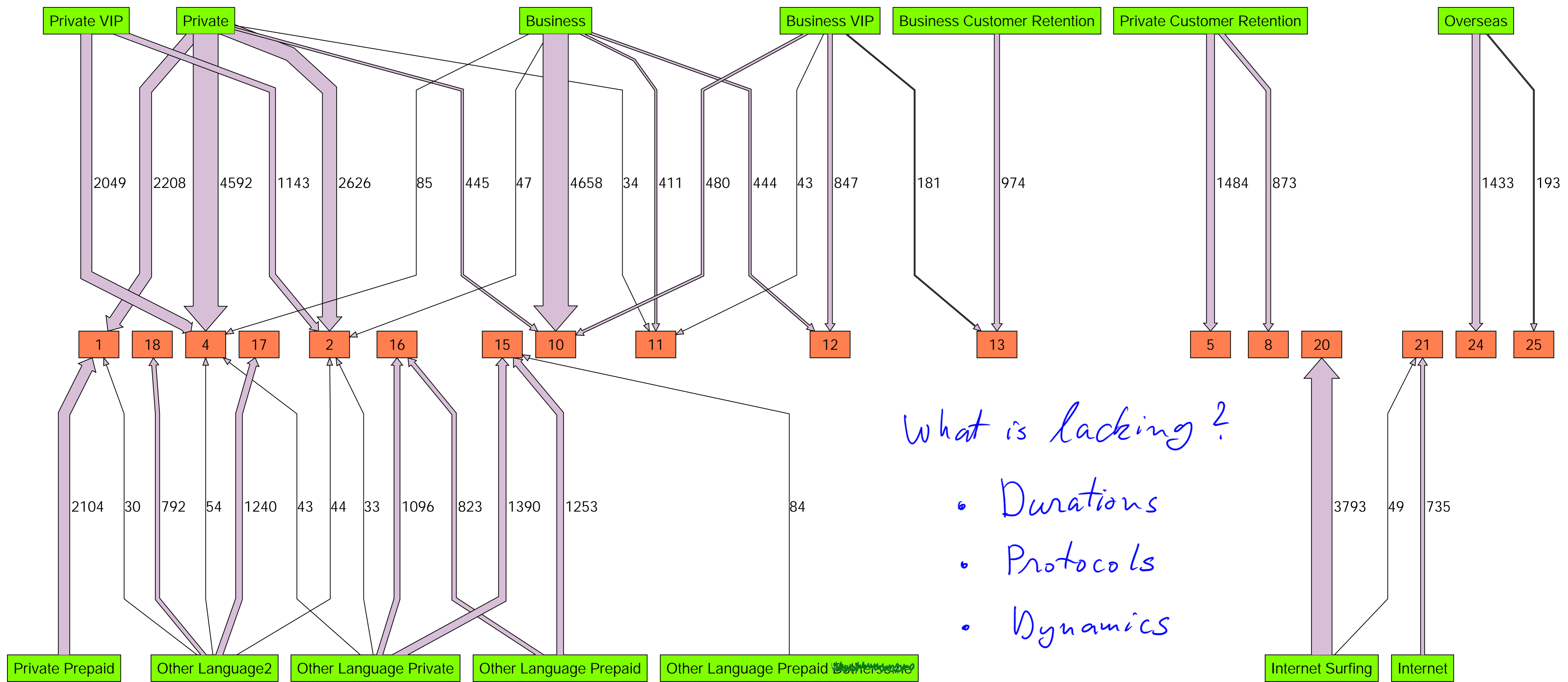












Private VIP

Private

Business

Business VIP

Business Customer Retention

Private Customer Retention

Overseas

Private Prepaid

Other Language2

Other Language Private

Other Language Prepaid

Other Language Prepaid Overseas

Internet Surfing

Internet

1

18

4

17

2

16

15

10

11

12

13

5

8

20

21

24

25

2049

2208

4592

1143

2626

85

445

47

4658

34

411

480

444

43

847

181

974

1484

873

1433

193

2104

30

792

54

1240

43

44

33

1096

823

1390

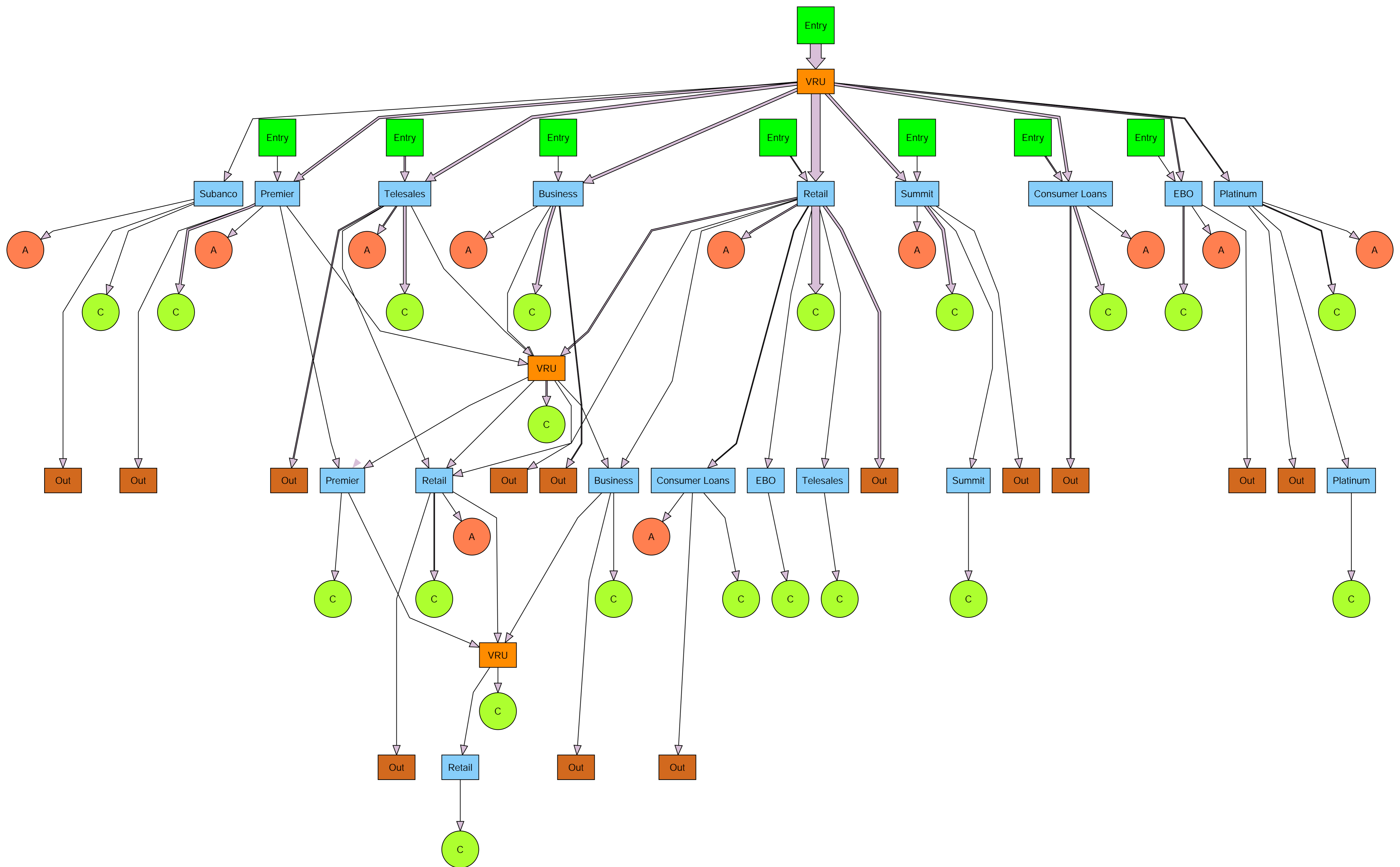
1253

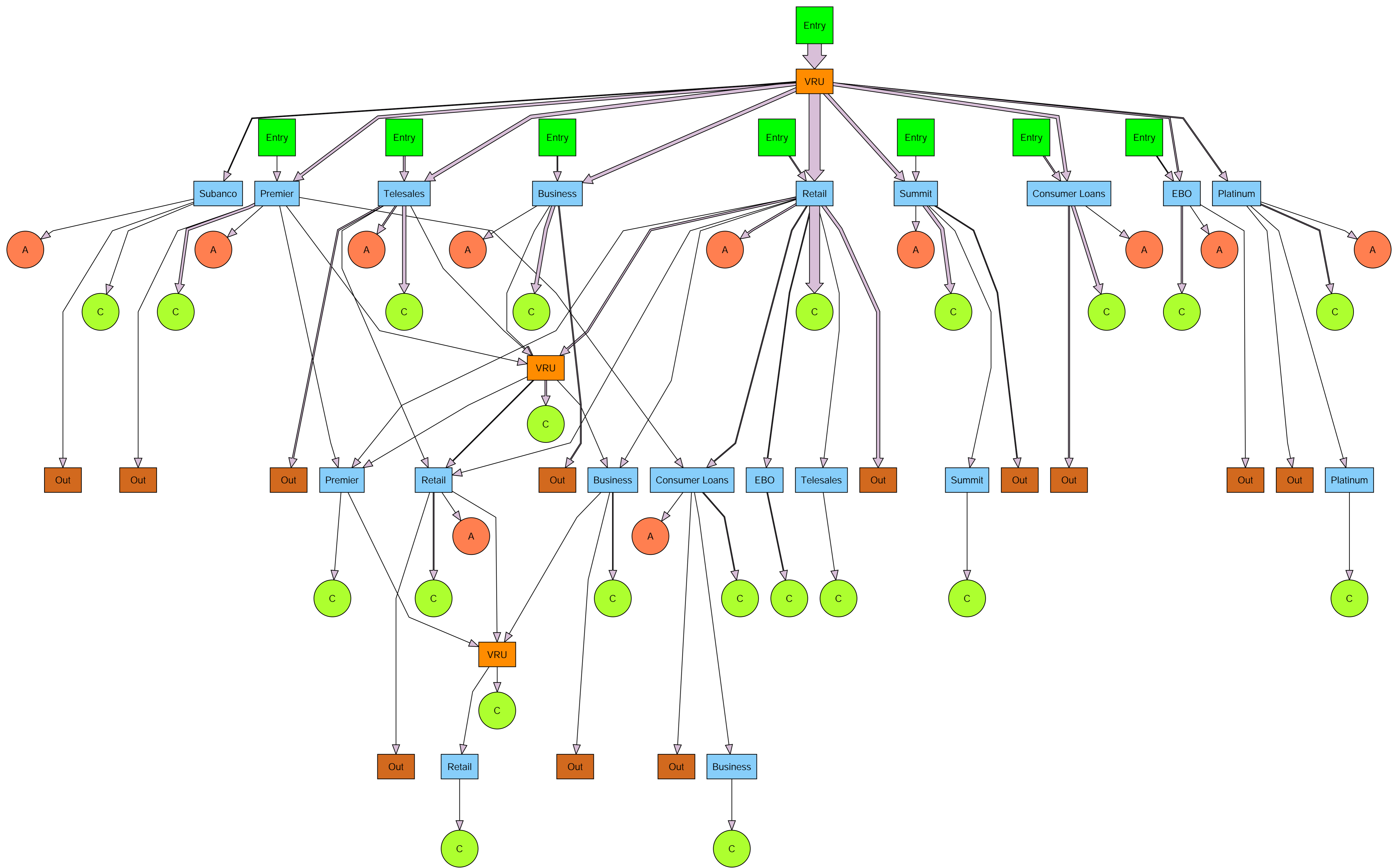
84

3793

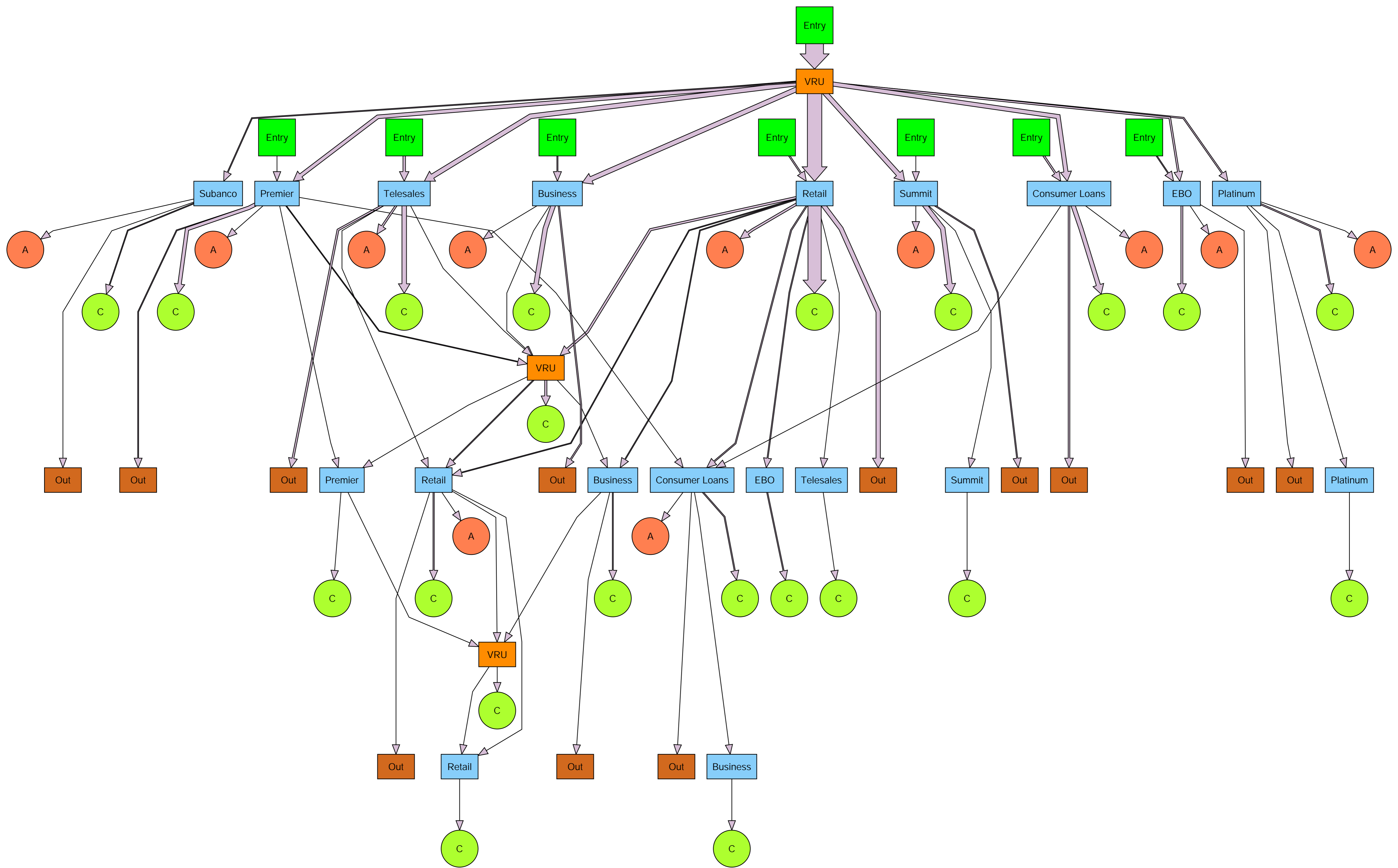
49

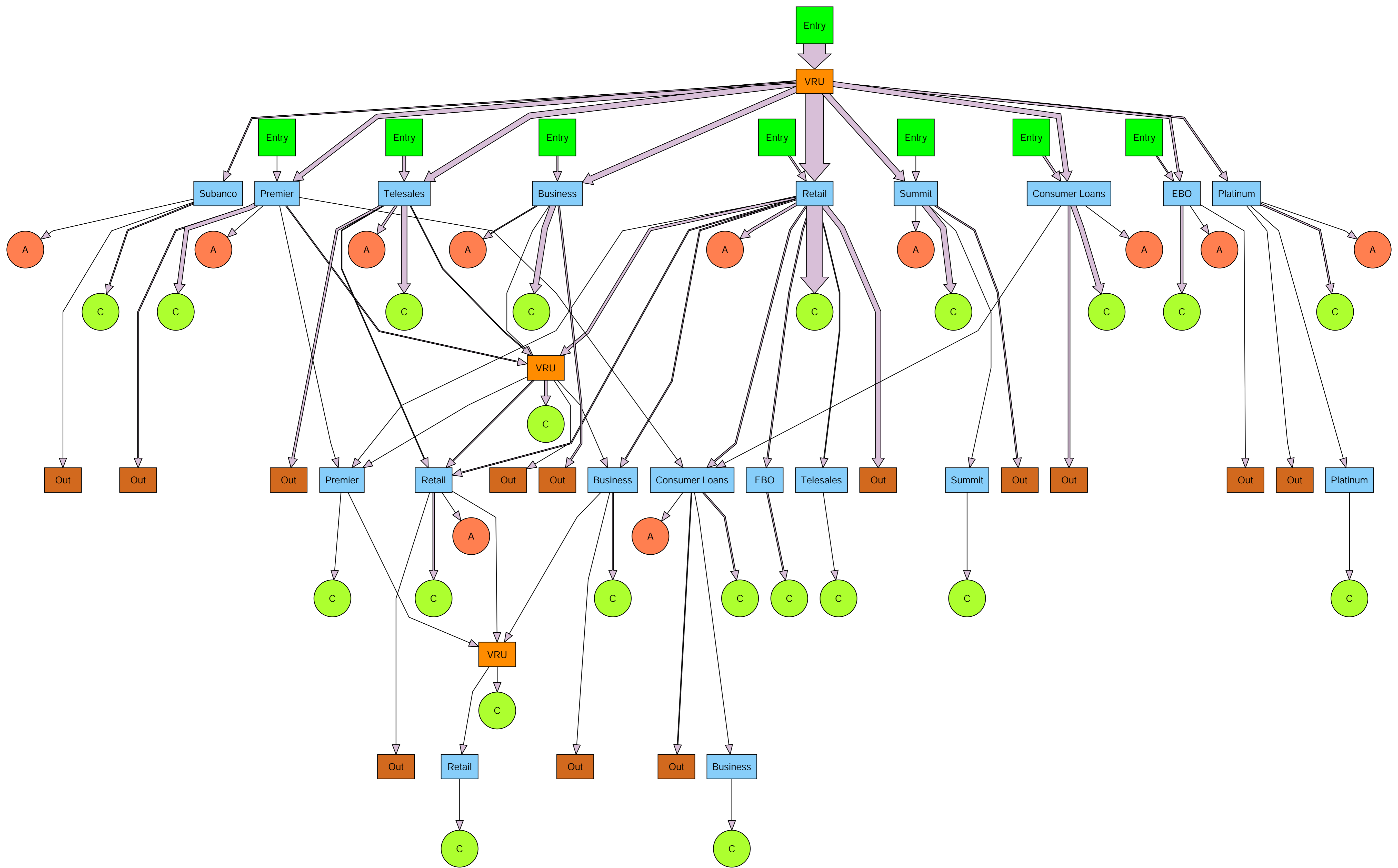
735





9 AM - 10 AM



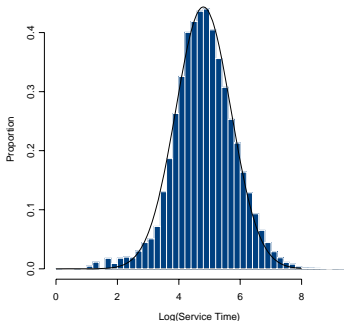


Validating LogNormality of Service-Duration

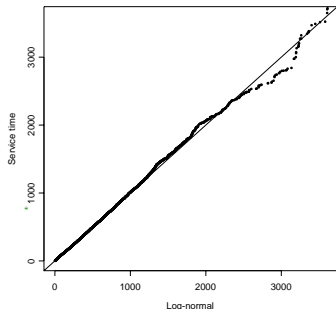
Israeli Call Center, Nov-Dec, 1999

distribution fitting

Log(Service Times)



LogNormal QQPlot

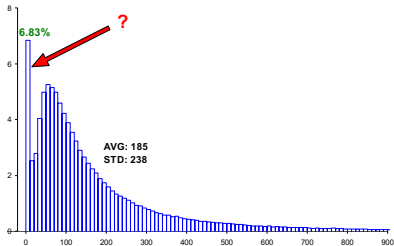


- ▶ **Practically Important:** (mean, std)(log) characterization
- ▶ **Theoretically Intriguing:** Why LogNormal ? Naturally multiplicative but, in fact, also **Infinitely-Divisible** (Generalized Gamma-Convolutions)

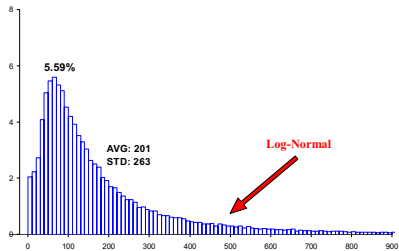
Beyond Averages: The Human Factor

Histogram of Service-Time in a (Small Israeli) Bank, 1999

January-October



November-December

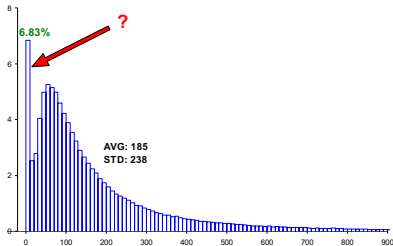


► 6.8% Short-Services:

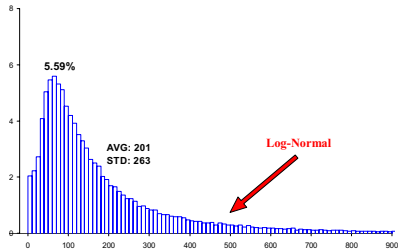
Beyond Averages: The Human Factor

Histogram of Service-Time in a (Small Israeli) Bank, 1999

January-October

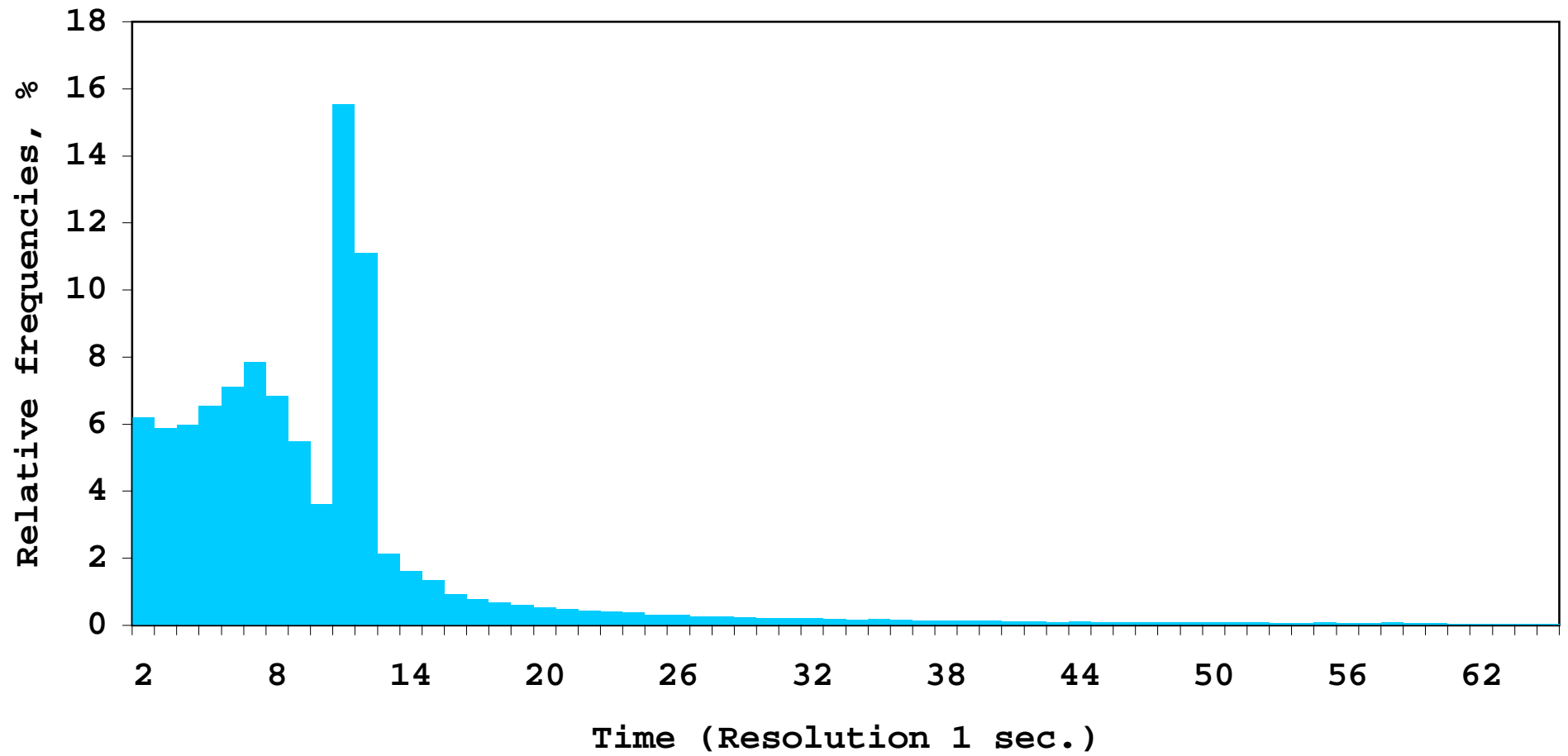


November-December



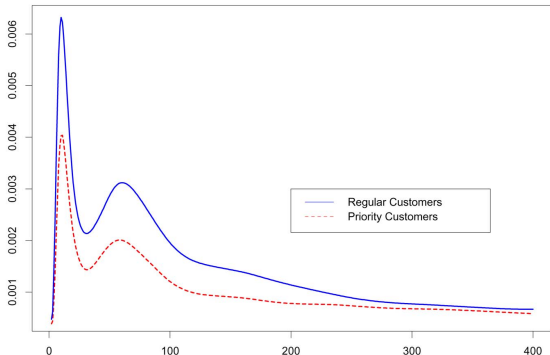
- ▶ **6.8% Short-Services:** Agents' "Abandon" (improve bonus, rest), (mis)lead by **incentives**
- ▶ **Distributions** must be measured (in **seconds** = **natural scale**)
- ▶ **LogNormal** service times common in call centers

Wait time(waiting) Retail
April 2002, Week days



(Im)Patience while Waiting (Palm 1943-53)

Irritation \propto Hazard Rate of (Im)Patience Distribution
Regular over **VIP** Customers – Israeli Bank



- ▶ **Peaks** of abandonment at times of **Announcements**
- ▶ **Call-by-Call Data (DataMOCCA)** required (& Un-Censoring).

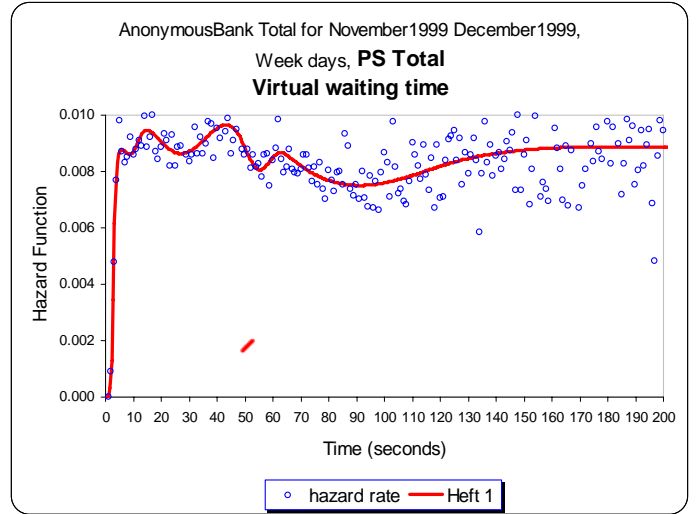
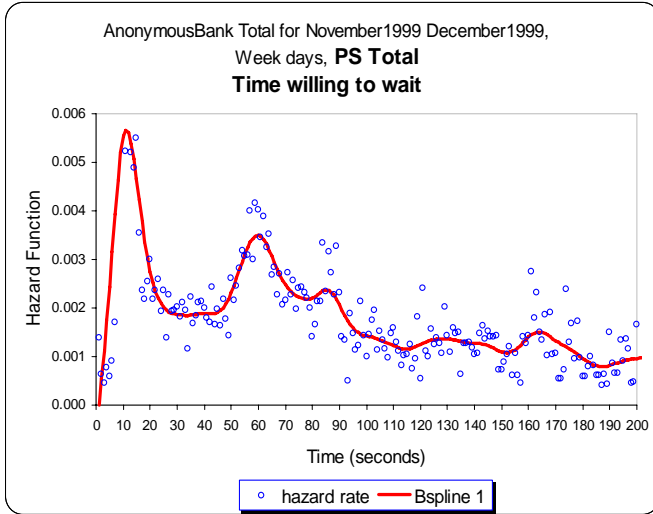
Observation: **VIP** are **more patient** (Needy)

Protocol Inference

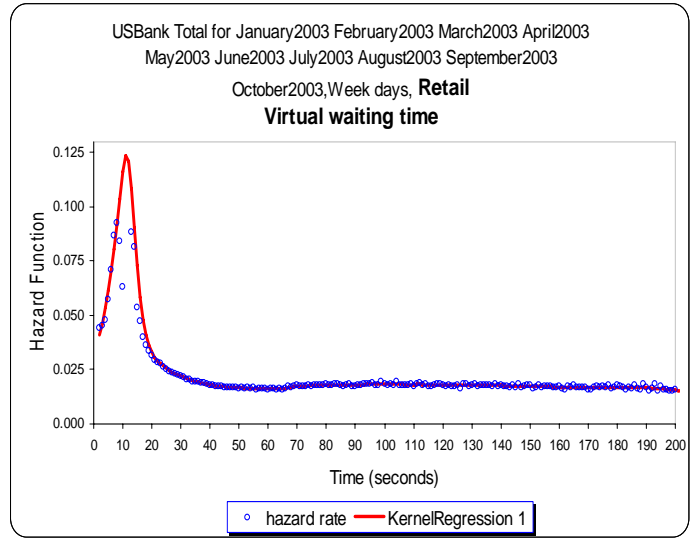
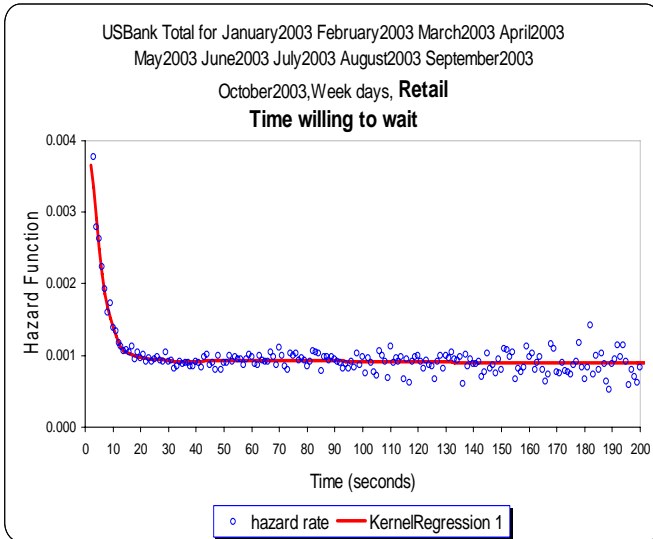
Time Willing to Wait (τ)

Time Required to Wait (V)

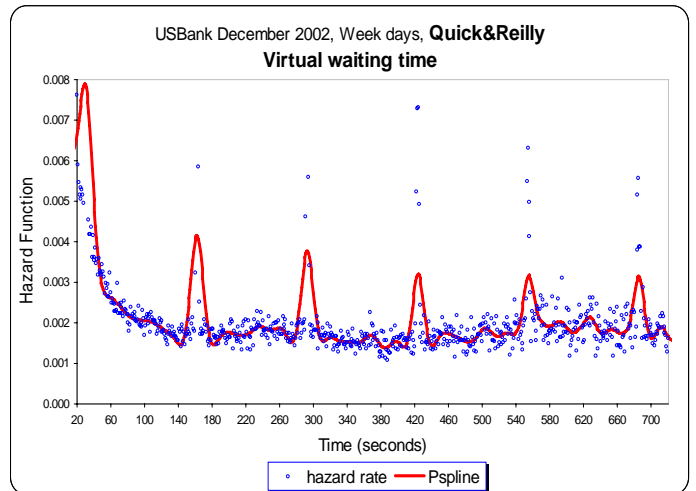
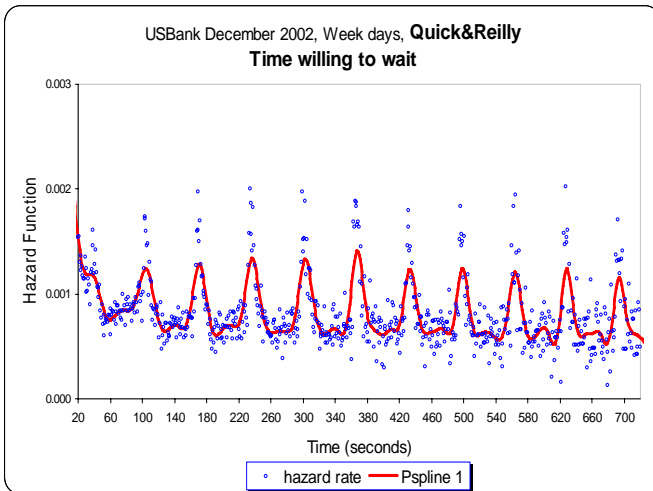
Israel



USA Retail



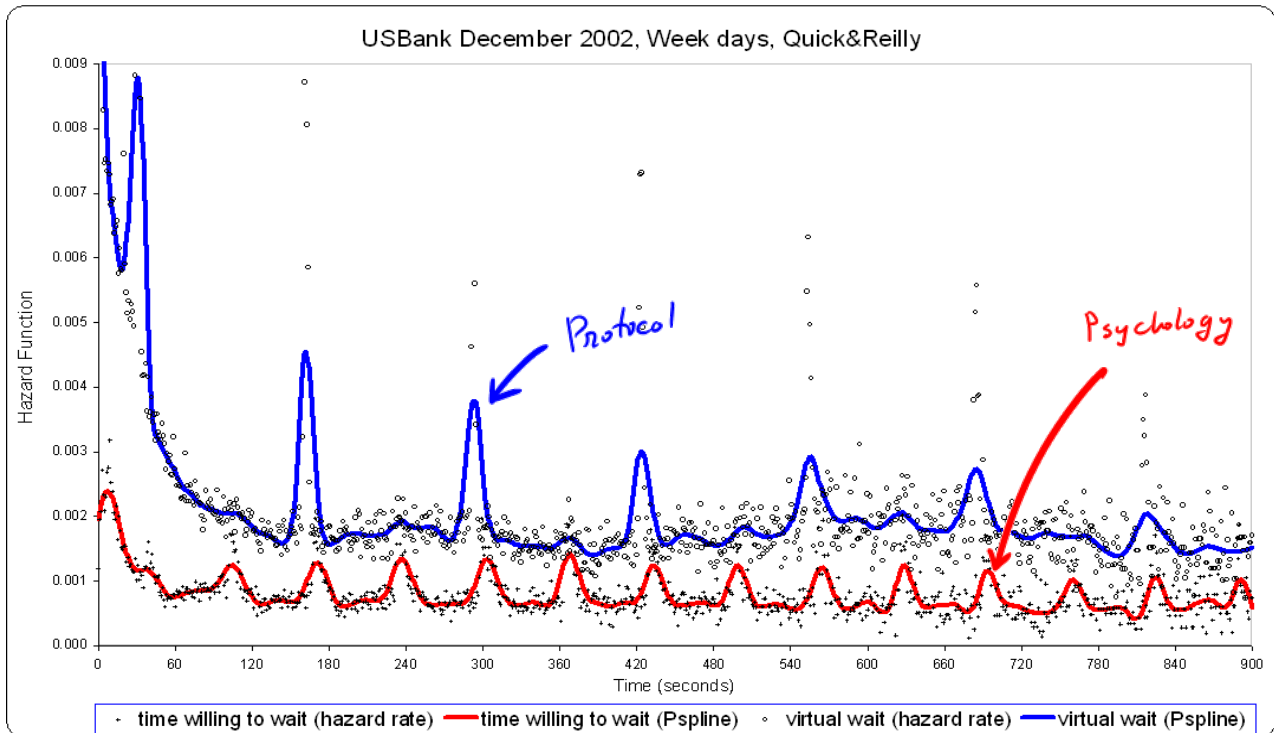
USA Stocks



Psychology

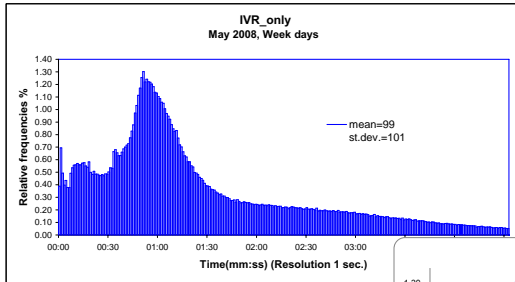
Protocols

even Psychology + Protocols

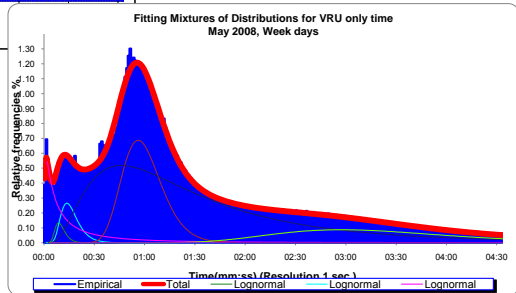


IVR-Time: Histograms

Israeli Bank: IVR/VRU Only, May 2008

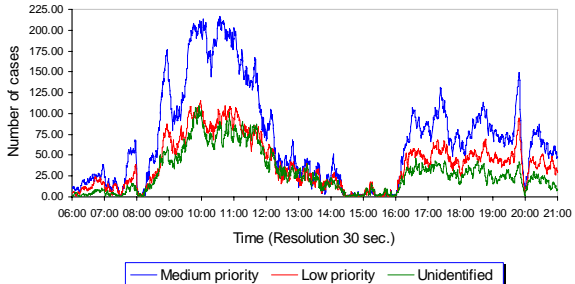


Mixture: 7 LogNormals



3.1 Three Queues in IL Bank

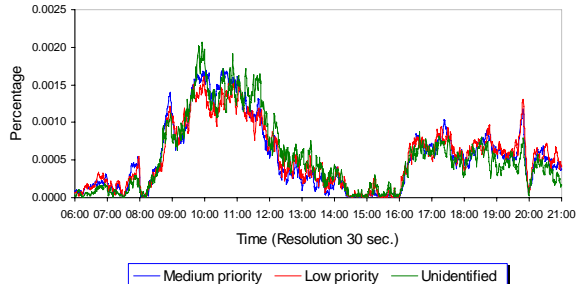
ILBank Customers in queue (average)
10.06.2007



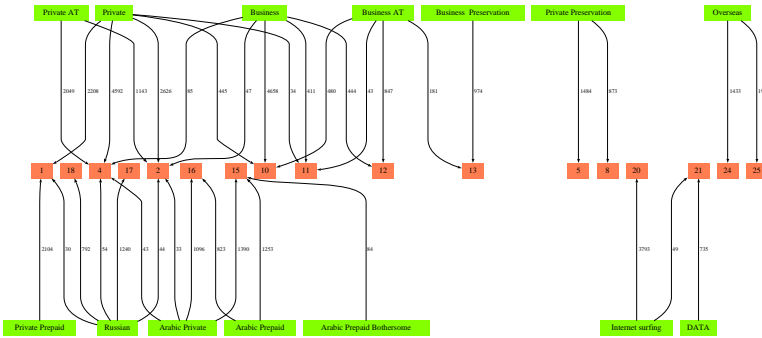
Why be optimistic? continued

3.2 State-Space Collapse (Area normalized to 1)

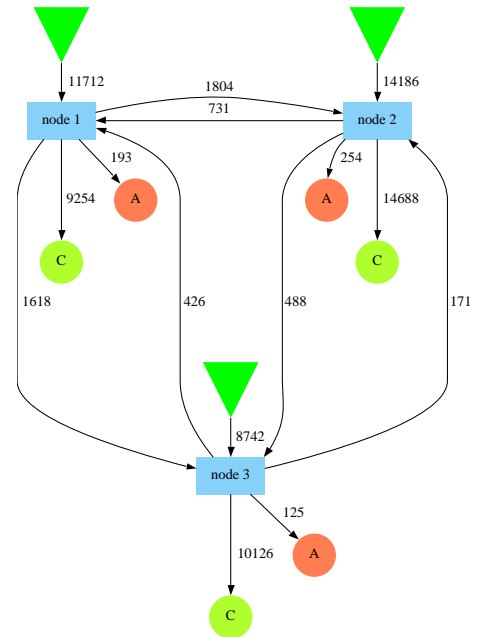
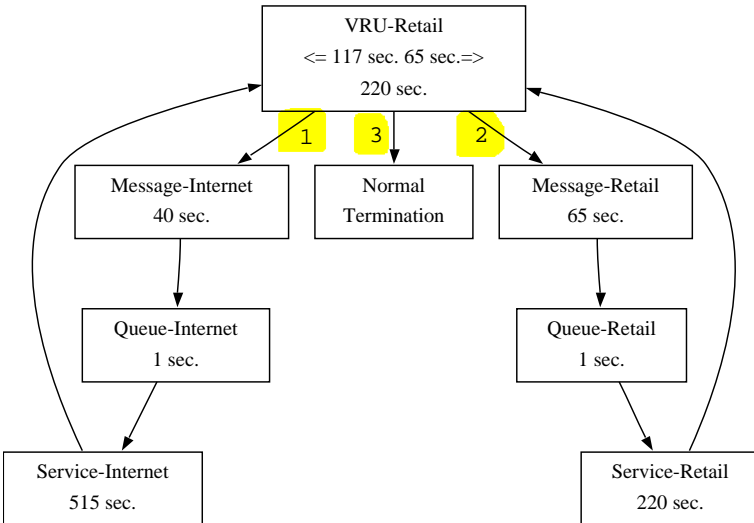
ILBank Customers in queue (average)
10.06.2007



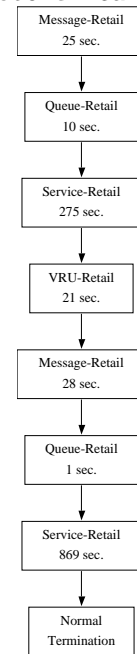
Skills-Based Routing, IL Telecom



Individual Customer Call (3 sub calls), US Bank



Individual Customer Call (2 sub calls), US Bank

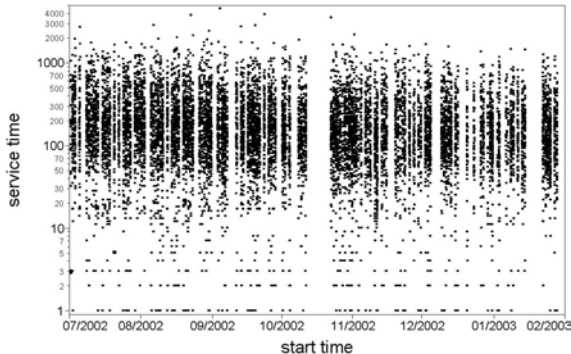


Individual Agents: Service-Duration, Variability

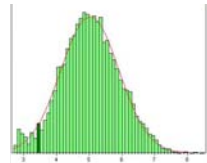
w/ Gans, Liu, Shen & Ye

Agent 14115

Service-Time Evolution: 6 month



Log(Service-Time)

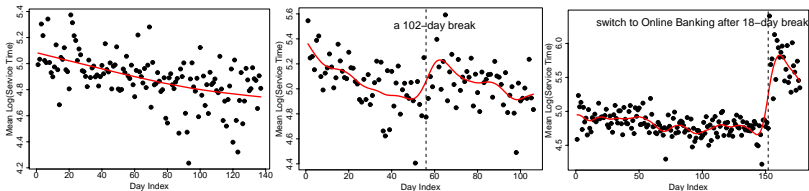


- ▶ **Learning**: Noticeable decreasing-trend in service-duration
- ▶ **LogNormal** Service-Duration, individually and collectively

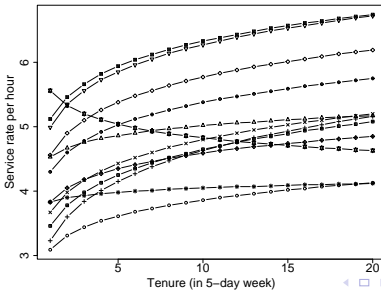
Individual Agents: Learning, Forgetting, Switching

Daily-Average Log(Service-Time), over 6 months

Agents 14115, 14128, 14136

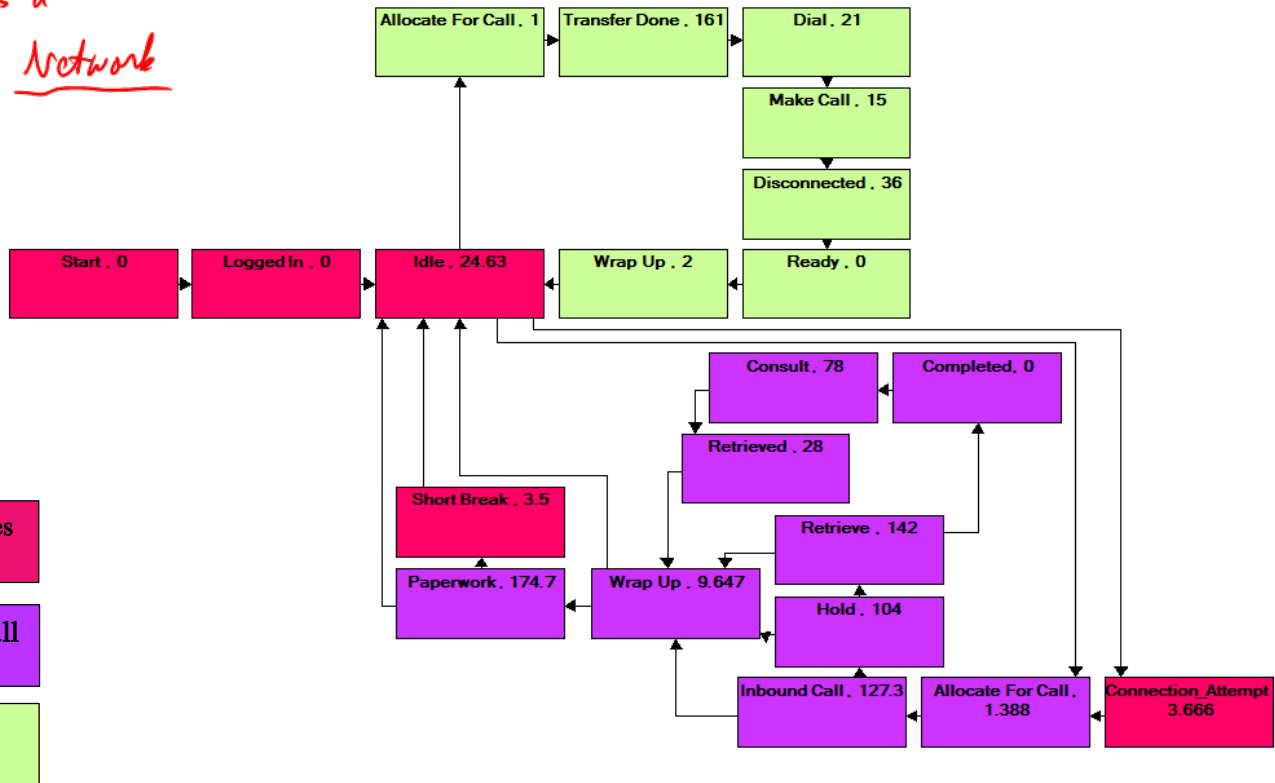


Weakly Learning-Curves for 12 Homogeneous(?) Agents

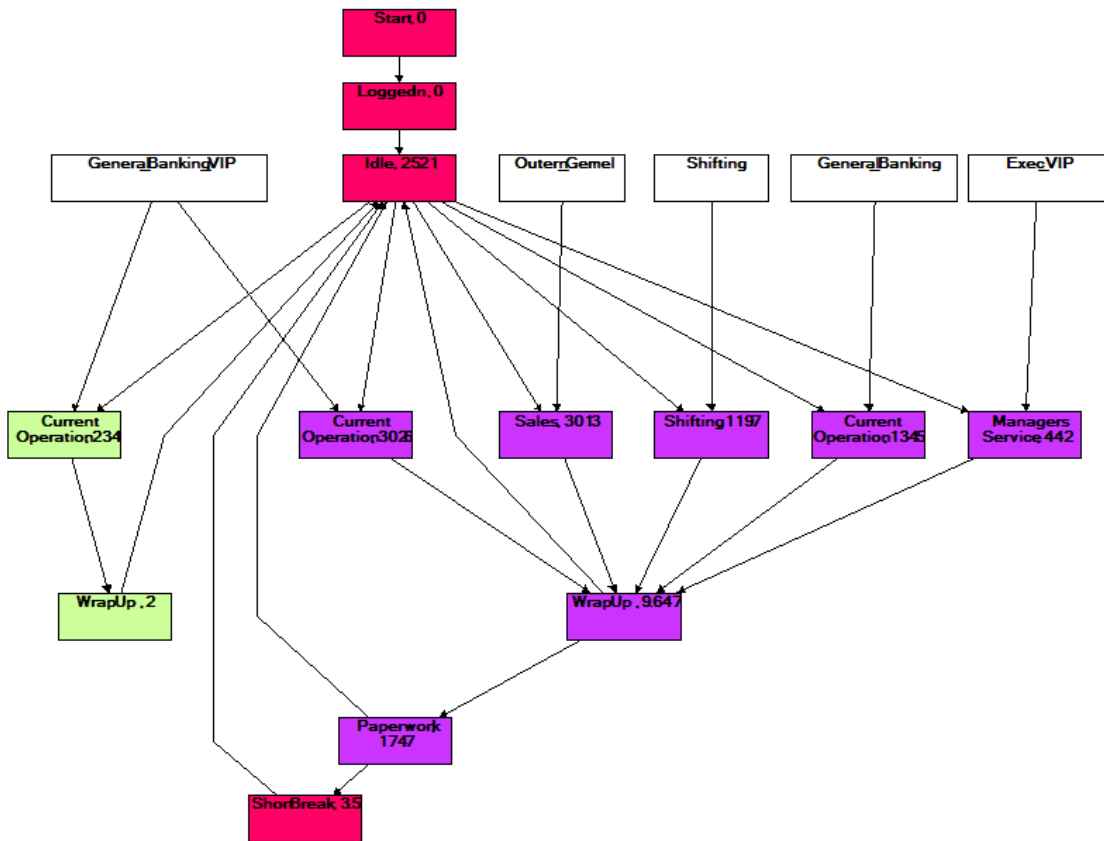


One Agent (Number 3) – 9:00-11:00 (January 24th)

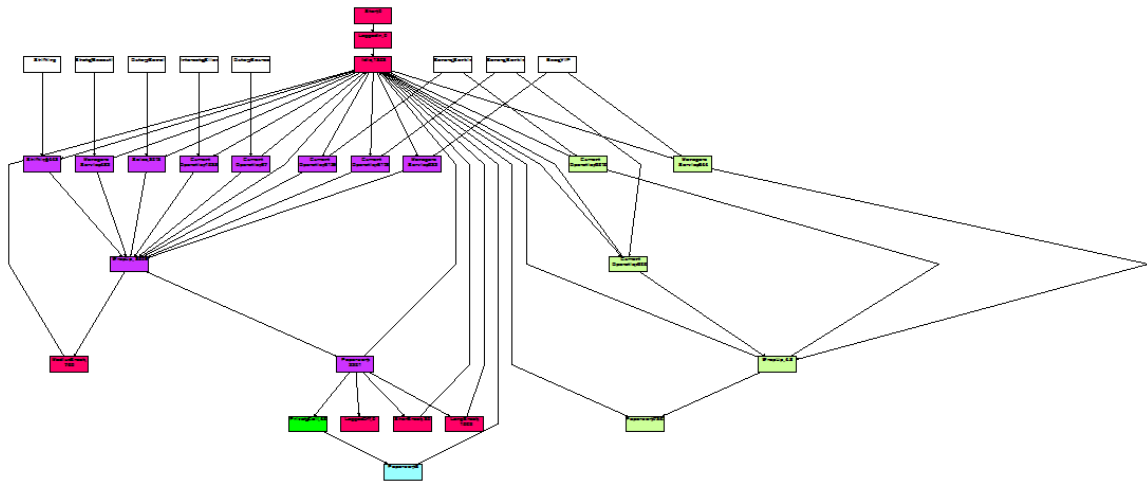
*Towards a
Servers Network*



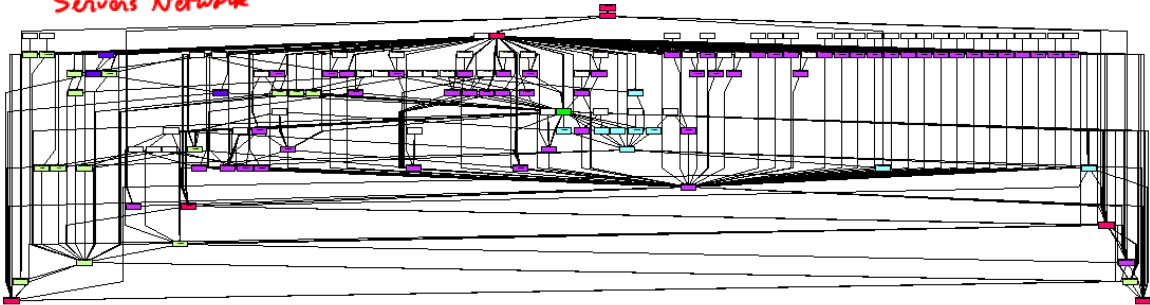
Example 1: One Agent on January 24th – 9-11



Example 2: A whole day (January 24th) of the same agent



Servers Network



(Telephone) Service-Process = "Phase-Type" Model

Retail Service
(Israeli Bank)

Statistics
OR
IE

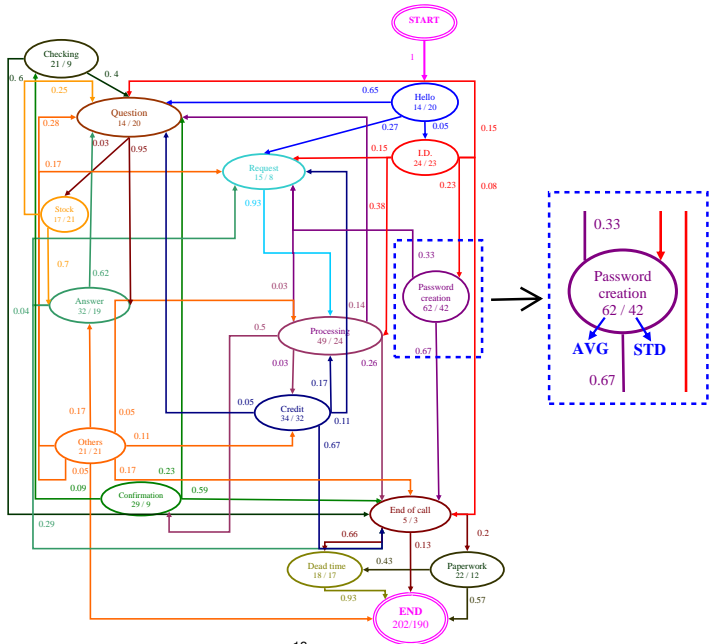


Table 1: (Part of the) **Asymptotic Landscape of Erlang-A** = 9 Operational Regimes

Erlang-A μ & θ fixed ¹	Conventional scaling			Many-Server scaling			NDS scaling			
	Sub	Critical	Over	QD	QED	ED	Sub	Critical	Over	
Offered load per server	$\frac{1}{1+\delta}$	$1 - \frac{\beta}{\sqrt{n}}$	$\frac{1}{1-\gamma}$	$\frac{1}{1+\delta}$	$1 - \frac{\beta}{\sqrt{n}}$	$\frac{1}{1-\gamma}$	$\frac{1}{1+\delta}$	$1 - \frac{\beta}{n}$	$\frac{1}{1-\gamma}$	
Arrival rate λ	$\frac{\mu}{1+\delta}$	$\mu - \frac{\beta}{\sqrt{n}}\mu$	$\frac{\mu}{1-\gamma}$	$\frac{n\mu}{1+\delta}$	$n\mu - \beta\mu\sqrt{n}$	$\frac{n\mu}{1-\gamma}$	$\frac{n\mu}{1+\delta}$	$n\mu - \beta\mu$	$\frac{n\mu}{1-\gamma}$	
# servers	1			n			n			
Time-scale	n			1			n			
Impatience rate	θ/n			θ			θ/n			
Staffing level	$\frac{\lambda}{\mu}(1+\delta)$	$\frac{\lambda}{\mu}(1 + \frac{\beta}{\sqrt{n}})$	$\frac{\lambda}{\mu}(1-\gamma)$	$\frac{\lambda}{\mu}(1+\delta)$	$\frac{\lambda}{\mu} + \beta\sqrt{\frac{\lambda}{\mu}}$	$\frac{\lambda}{\mu}(1-\gamma)$	$\frac{\lambda}{\mu}(1+\delta)$	$\frac{\lambda}{\mu} + \beta$	$\frac{\lambda}{\mu}(1-\gamma)$	
Utilization	$\frac{1}{1+\delta}$	$1 - \sqrt{\frac{\theta}{\mu}} \frac{h(\hat{\beta})}{\sqrt{n}}$ ²	1	$\frac{1}{1+\delta}$	$1 - \sqrt{\frac{\theta}{\mu}} \frac{h(\hat{\beta})}{\sqrt{n}}$ ³	1	$\frac{1}{1+\delta}$	$1 - \sqrt{\frac{\theta}{\mu}} \frac{h(\hat{\beta})}{n}$	1	
$\mathbb{E}(Q)$	$\frac{1}{\delta(1+\delta)}$	$\sqrt{ng}(\hat{\beta})$ ⁴	$\frac{n\mu\gamma}{\theta(1-\gamma)}$	$\frac{1}{\delta}\varrho_n$ ⁵	$\sqrt{ng}(\hat{\beta})\alpha$ ⁶	$\frac{n\mu\gamma}{\theta(1-\gamma)}$	$o(1)$	$ng(\hat{\beta})$	$\frac{n^2\mu\gamma}{\theta(1-\gamma)}$	
$\mathbb{P}(Ab)$	$\frac{1}{n} \frac{1}{\delta} \frac{\theta}{\mu}$	$\frac{\theta}{\sqrt{n\mu}}g(\hat{\beta})$	γ	$\frac{1}{n} \frac{(1+\delta)}{\delta} \frac{\theta}{\mu} \varrho_n$	$\frac{\theta}{\sqrt{n\mu}}g(\hat{\beta})\alpha$	γ	$o(\frac{1}{n^2})$	$\frac{\theta}{n\mu}g(\hat{\beta})$	γ	
$\mathbb{P}(W_q > 0)$	$\frac{1}{1+\delta}$	≈ 1		ϱ_n	$\alpha \in (0, 1)$	≈ 1	≈ 0	≈ 1		
$\mathbb{P}(W_q > T)$	$\frac{1}{1+\delta} e^{-\frac{\delta}{1+\delta}\mu T}$	$1 + O(\frac{1}{\sqrt{n}})$	$1 + O(\frac{1}{n})$	≈ 0			$f(T)$ ⁷	≈ 0	$\frac{\bar{\Phi}(\hat{\beta} + \sqrt{\theta\mu}T)}{\bar{\Phi}(\hat{\beta})}$	$1 + O(\frac{1}{n})$
Congestion $\frac{EW_q}{ES}$	$\frac{1}{\delta}$	$\sqrt{ng}(\hat{\beta})$	$n\mu\gamma/\theta$	$\frac{1}{n} \frac{(1+\delta)}{\delta} \varrho_n$	$\frac{\alpha}{\sqrt{n}}g(\hat{\beta})$	$\frac{\mu\gamma}{\theta}$	$o(\frac{1}{n})$	$g(\hat{\beta})$	$n\mu\gamma/\theta$	

¹ $\delta > 0, \gamma \in (0, 1)$ and $\beta \in (-\infty, \infty)$, $\hat{\beta} = \beta\sqrt{\frac{\mu}{\theta}}$

² $h(x) = \frac{\phi(x)}{\Phi(x)}$ is the hazard rate function of the standard normal distribution

³ $\hat{h}(\hat{\beta}) = (1-\alpha)\hat{\beta} + \alpha h(\hat{\beta})$, ⁴ $g(\hat{\beta}) = \sqrt{\frac{\mu}{\theta}}[h(\hat{\beta}) - \hat{\beta}]$, ⁶ $\alpha = [1 + \sqrt{\frac{\theta}{\mu}} \frac{h(\hat{\beta})}{h(-\hat{\beta})}]^{-1}$

⁵ $\varrho_n = \frac{1}{\sqrt{2\pi n}} \frac{1+\delta}{\delta} (\frac{1}{1+\delta} e^{\frac{\delta}{1+\delta}})^n$, ⁷ $f(T) = e^{-\theta T} \times 1_{\{e^{-\theta T} > 1-\gamma\}}$,

+

- ED + QED
- hazard-rate scaling
- time-varying

The Technion SEE Center / Laboratory

Data-Based Service Science / Engineering

